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ETH Mathematical Modeling of Physical Systems Eidgenössische Technische Hochschule Zünich Swiss. Sedereil Institute ef Technology Zunich The Larch Bud Moth Model I • We shall now attempt to come up with a better model for describing the *population dynamics* of the *larch bud moth* making use of the systems dynamics modeling methodology. • We stipulate that the *insect/tree interaction* is the dominant influencing factor regulating the population dynamics of the larch bud moth. We assume that the influence of the *parasites* is of second order small, and can be neglected. • We shall try to come up with a model based primarily on physical insight. • Curve fitting shall be used, but limited to local measurable properties only. December 13, 2012 Start Presentation $\langle \downarrow \downarrow \rangle$ © Prof. Dr. François E. Cellier





Mathematical Modeling of Physical Systems

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| The Larch Bud Moth Model XV We are now ready to compile and simulate the model. | | | |
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| Let us create yet one more model today, describing the spreading of an <i>influenza epidemic</i> in a <i>community of 10,000 souls</i>. Since influenza can be contracted at any time, we shall use <i>continuous levels</i> for this model. People, once <i>infected</i> with this particular variant of the disease, take four weeks before they come down with any symptoms. This is called the <i>incubation period</i>. Yet, they are already <i>contagious</i> during that period. | The Influenza Model II • Let us now choose our level variables. • We can identify four types of people: • Non-infected people. • Infected healthy people. • Sick people. • Immune people. • We shall use these four variables as our levels. |
| Once they are <i>sick</i>, they remain sick for two weeks. Once they have recovered from the disease, they are <i>immune</i> to this particular stem for 26 weeks. Thereafter, they may contract the disease anew. | Clearly, there are only three <i>state variables</i>, since the sum of the four is always 10,000, i.e., we can always compute the fourth from the other three, but as long as we don't insist that we must choose our initial conditions independently, this doesn't cause any problem. |

















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| Conch | isions | | |
| • We have now improved or <i>science models</i> in an organi to the underlying physics as | zed fashion that stays as close | | |
| | pture partial knowledge about knowledge that can be refined | | |
| • <i>Systems dynamics</i> is the most widely used modeling methodology in all of soft sciences. Tens of thousands of scientists have embraced and used this methodology in their modeling endeavors. | | | |
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